

Stereo Isomerism or Space isomerism.

Stereo is a Greek word taken from stereos, it means Occupying space.

Stereoisomerism is the isomerism

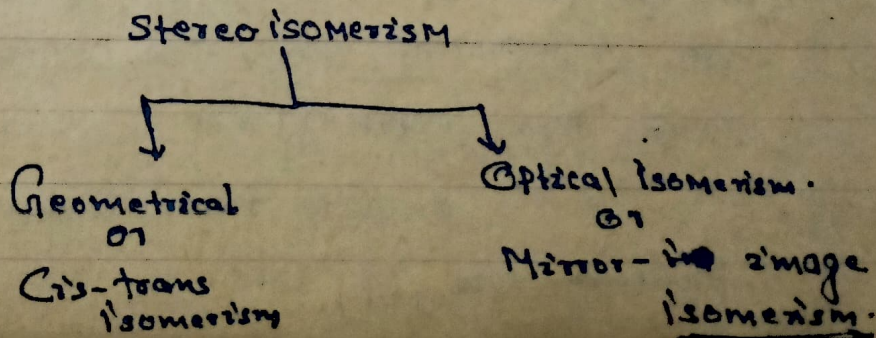
Which arises on account of the different arrangements of atoms or groups in space in a molecule. It becomes more clear from the following example.

When two compounds contain the same.

ligands co-ordinated to the same central ion, but, the arrangements of ligands in space is different, then these two compounds are said to be stereoisomers and the phenomenon is known as stereoisomerism.

Stereoisomerism is divided into two

Category or Class.



Geometrical Isomerism: →

Geometrical isomers have identical empirical formula, but differ in chemical and physical properties, due to different arrangement of ligands.

eg. When two identical groups occupy adjacent positions the isomer is called cis and when groups are arranged opposite to one another, the isomer is called trans.

This type of isomerism is not possible for complexes with co-ordination number 2 and 3 and also for the tetrahedral complexes with C.N. = 4.

Geometrical isomerism can't arise in tetrahedral

complexes (C.N. = 4) because this geometry contains all the ligands in cis (i.e. adjacent) position w.r. to each other i.e. Each ligand is equidistant from the other three ligands and all bond angles are the same (i.e. 109°).

This type of cis-trans isomerism is quite common in octahedral and square planar geometry.

Co-ordination Number - 4

The complexes having co-ordination number 4 (four) show two types of ~~geometry~~ structure.

(i) Tetrahedral

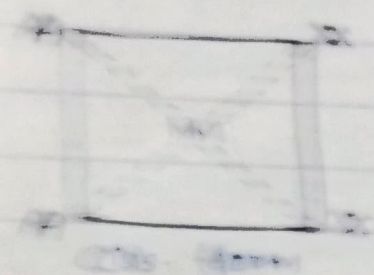
(ii) Square Planar

The cis-trans isomerism is not possible in the case of tetrahedral complexes, because four ligands are equidistant from one another, but it can be easily shown by square planar complexes.

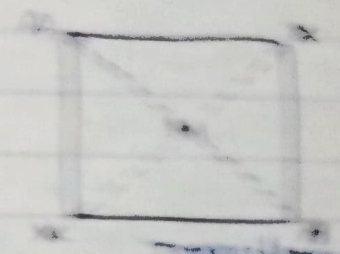
Cis-trans isomerism generally occurs in the following type of complexes. —

(a) Consider the type $[M, N]$ — M is a matrix and N is a vector.
 The dimension of M is $m \times n$ and the dimension of N is $n \times 1$.
 The dimension of the product MN is $m \times 1$.
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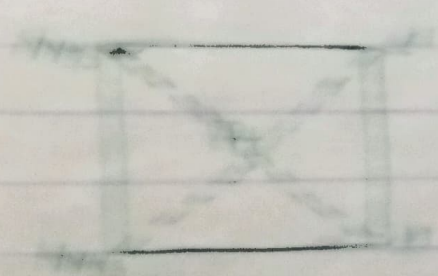


(a)

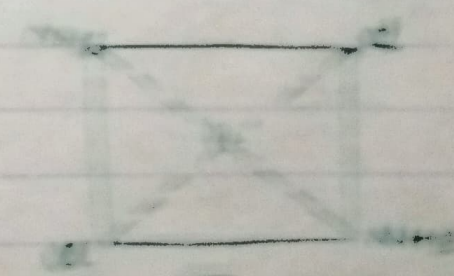


(b)

The dimension of M is $m \times n$ and the dimension of N is $n \times 1$.
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(c)

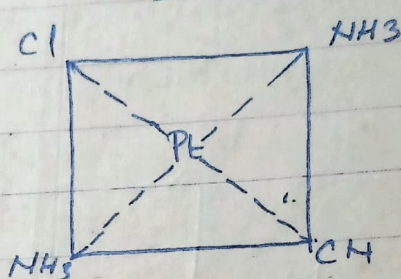
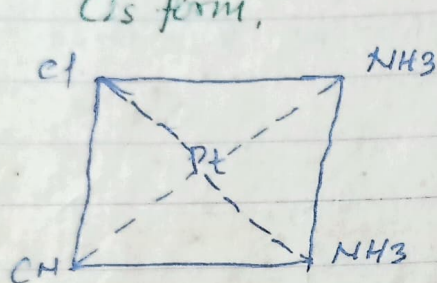
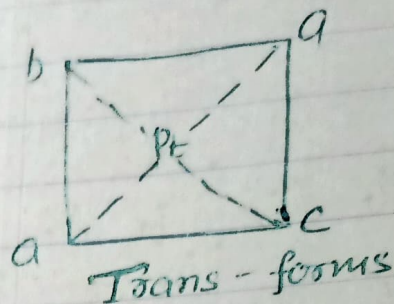
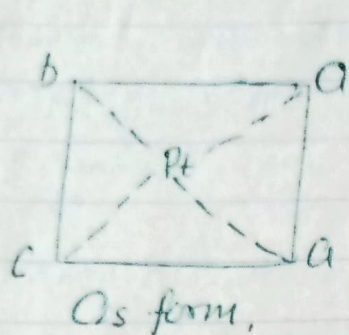


(d)

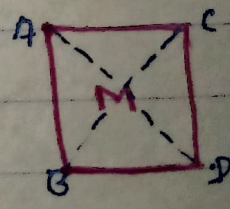
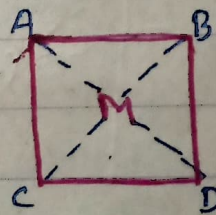
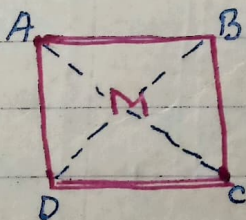
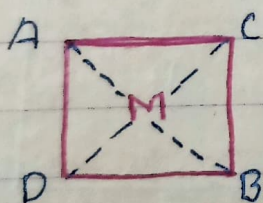
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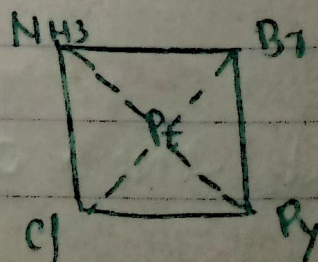
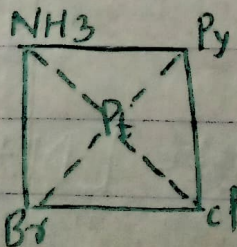
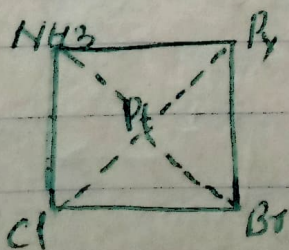
Example of this type of Complex $\rightarrow$ $(Pt^{II} (NH_3)_2 (Cl) (CN))^0$



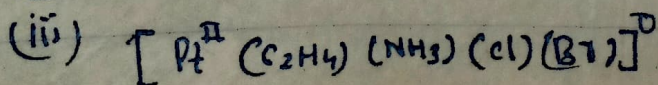
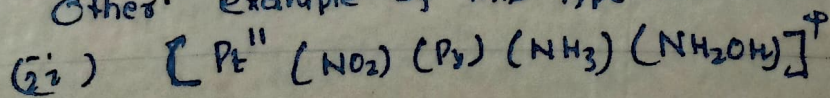
(c) $[MABCD]^{n+}$ type of Complex: $\rightarrow$ Complex of this type exist in three isomeric forms. These isomers form (i) the Complex. $[Pt^{II} (NH_3) (Py) Cl (Br)]^0$ has been reported corresponding to NH_3 trans to each of remaining three ligands.



Both are identical.



Other example of this type —



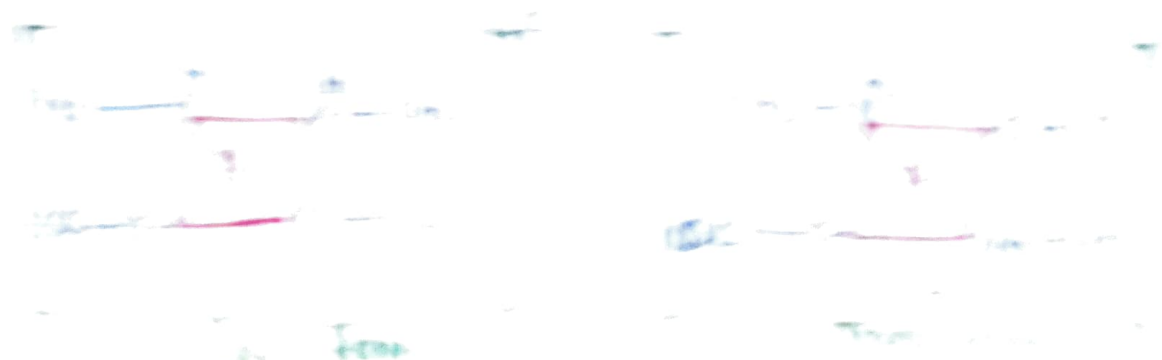
The first part of the problem is to find the value of the function $f(x)$ at the point $x = 1$. The function $f(x)$ is defined by the equation $f(x) = x^2 + 2x - 1$. The value of $f(1)$ is $1^2 + 2 \cdot 1 - 1 = 2$.

The second part of the problem is to find the value of the function $f(x)$ at the point $x = -1$. The function $f(x)$ is defined by the equation $f(x) = x^2 + 2x - 1$. The value of $f(-1)$ is $(-1)^2 + 2 \cdot (-1) - 1 = -2$.

The third part of the problem is to find the value of the function $f(x)$ at the point $x = 0$. The function $f(x)$ is defined by the equation $f(x) = x^2 + 2x - 1$. The value of $f(0)$ is $0^2 + 2 \cdot 0 - 1 = -1$.



The fourth part of the problem is to find the value of the function $f(x)$ at the point $x = 2$. The function $f(x)$ is defined by the equation $f(x) = x^2 + 2x - 1$. The value of $f(2)$ is $2^2 + 2 \cdot 2 - 1 = 5$.



They also gives the three isomeric forms:—

The existence of three isomeric forms in case of the complexes mentioned above indicates that these complexes have square planar geometry.

Planar Geometry.

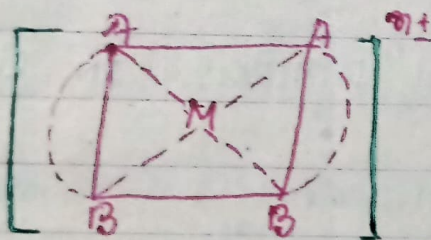
(d) Complexes of the type $[MA_4]^{n+}$, $[MA_3A]^{n+}$, $[MA_2A_2]^{n+}$

Square planar complexes of such type do not show geometrical isomerism, since, every possible spatial arrangement of ligands round the metal ion is exactly equivalent.

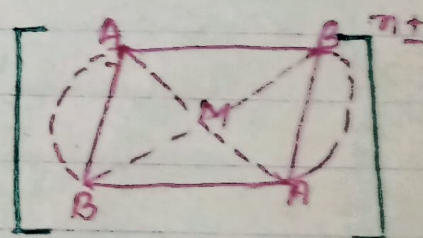
Square Planar Complexes having unsymmetrical

bidentate chelating ligand:— $[M(AB)_2]^{n+}$ Type Complex

Here M is the central metal ion and (AB) represents an unsymmetrical bidentate ligand. Such type of complexes also shows cis and trans isomerism,

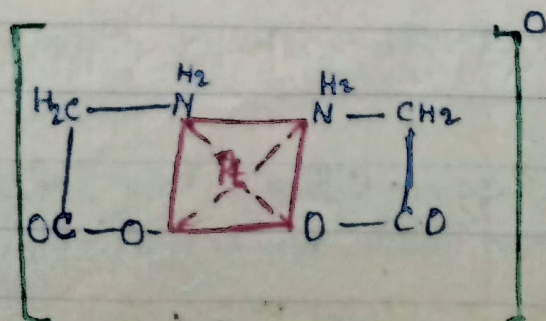


Cis - Form

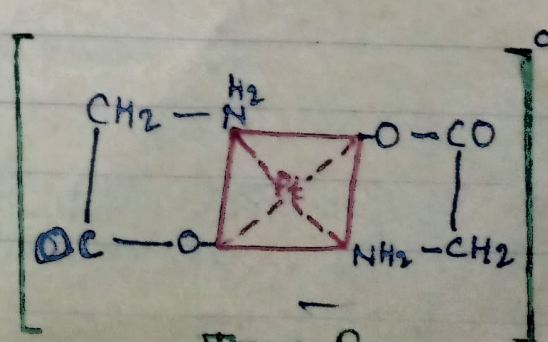


Trans - Form -

Example:— $[Pt^{II}(gly)_2]^0$ where gly stands for $NH_2-CH_2COO^-$ (Glycine) is an important example of this type of complex. It also exist cis- and trans isomerism, ~~shown~~ which is shown below.



Cis - form



Trans form.